

Løsningsforslag delpørve 2
Utvidet til å inkludere effekten av trim
Katamaran

Inngangsdata:

Tetthet sjøvann: $\rho_s := 1025 \frac{\text{kg}}{\text{m}^3}$ $t \equiv \text{kg} \cdot 10^3$

Lengde i vannlinjen: $L_{\text{v}} := 12\pi$

Lengde baug: $L_b := 2.5\pi$

Lengde parallell del: $L_p := L - L_b$ $L_p = 9.5\pi$

Total bredde: $B := 5\pi$

Bredde skrog $B_s := 1.5\pi$

Dybde: $D := 1.7\pi$

Dypgang lettskip: $T_{ls} := 0.6\pi$

KG lettskip: $KG_{ls} := 1.6\pi$

Last: $L_T := 3\pi$ $B_T := 2\pi$ $A_{\text{v}} := 1\pi$ $H_V := 0.6\pi$ $\rho_v := 1.15 \frac{t}{\text{m}^3}$

Beregninger:

Oppgave A

Vannlinjeareal: $A_{vl} := 2 \cdot (L_p \cdot B_s + 0.5 \cdot B_s \cdot L_b)$ $A_{vl} = 32.25\pi^2$

Deplasement lettskip: $\Delta_{ls} := A_{vl} \cdot T_{ls} \cdot \rho_s$ $\Delta_{ls} = 19.834t$

Tyngdepunkt lettskip: $X_{ls} := \frac{\left[L_p \cdot B_s \cdot \frac{L_p}{2} + 0.5 B_s \cdot L_b \cdot \left(L_p + \frac{L_b}{3} \right) \right] \cdot T_{ls} \cdot 2}{\frac{\Delta_{ls}}{\rho_s}}$ $X_{ls} = 5.399\pi$

$Y_{ls} := 0\pi$

$Z_{ls} := KG_{ls}$ $Z_{ls} = 1.6\pi$

$KB_{ls} := \frac{T_{ls}}{2}$ $KB_{ls} = 0.3\pi$

Tverrskip GM:

$I_x := 2 \cdot \left[\frac{L_p \cdot B_s^3}{12} + \frac{L_b \cdot B_s^3}{48} + (L_p \cdot B_s + 0.5 L_b \cdot B_s) \cdot \left(\frac{B}{2} - \frac{B_s}{2} \right)^2 \right]$ $I_x = 104.461\pi^4$

$BM_{Tls} := \frac{I_x \cdot \rho_s}{\Delta_{ls}}$ $BM_{Tls} = 5.398\pi$

$GM_{Tls} := KB_{ls} + BM_{Tls} - KG_{ls}$ $GM_{Tls} = 4.098\pi$

På grunn av vertikale sider er flotasjonssenteret lik oppdriftssenterets plassering i horisontalplanet:

$$X_0 := X_{ls}$$

Langskips GM:

$$I_y := 2 \cdot \left[\frac{L_p^3 \cdot B_s}{12} + \frac{L_b^3 \cdot B_s}{36} + L_p \cdot B_s \cdot \left(\frac{L_p}{2} - X_0 \right)^2 + 0.5 L_b \cdot B_s \cdot \left(L_p + \frac{L_b}{3} - X_0 \right)^2 \right] \quad I_y = 318.954 \text{ m}^4$$

$$BM_{Lls} := \frac{I_y \cdot \rho_s}{\Delta_{ls}} \quad BM_{Lls} = 16.483 \text{ m}$$

$$GM_{Lls} := KB_{ls} + BM_{Lls} - KG_{ls} \quad GM_{Lls} = 15.183 \text{ m}$$

Oppgave B

Vekt av last: $W_L := L_T \cdot B_T \cdot H_V \cdot \rho_v \quad W_L = 4.14 \text{ t}$

Nytt deplasement: $\Delta := \Delta_{ls} + W_L \quad \Delta = 23.97$

Lastens tyngdepunkt: $X_L := A + \frac{L_T}{2} \quad X_L = 2.5 \text{ m}$

$$Y_L := \frac{-B}{2} + \frac{B_T}{2} \quad Y_L = -1.5 \text{ m}$$

$$Z_L := D + \frac{H_V}{2} \quad Z_L = 2 \text{ m}$$

Nytt tyngdepunkt: $X_G := \frac{\Delta_{ls} \cdot X_{ls} + W_L \cdot X_L}{\Delta} \quad X_G = 4.899 \text{ m}$

$$Y_G := \frac{\Delta_{ls} \cdot Y_{ls} + W_L \cdot Y_L}{\Delta} \quad Y_G = -0.259 \text{ m}$$

$$Z_G := \frac{\Delta_{ls} \cdot Z_{ls} + W_L \cdot Z_L}{\Delta} \quad Z_G = 1.669 \text{ m}$$

Oppgave C

Krengning:

Ny middeldypgang:	$\overset{\text{v}}{\underset{\text{v}}{\underset{\text{v}}{T}}} := \frac{\Delta}{A_{vl} \cdot \rho_s}$	$T = 0.725\text{m}$
Ny KB:	$KB := \frac{T}{2}$	$KB = 0.363\text{m}$
Ny BM_T :	$BM_T := \frac{I_x \cdot \rho_s}{\Delta}$	$BM_T = 4.466\text{m}$
Fri flate effekt:	$GG_1 := \frac{L_T \cdot B_T^3 \cdot \rho_v}{12 \cdot \Delta}$	$GG_1 = 0.096\text{m}$
Ny GM_T :	$GM_T := KB + BM_T - Z_G - GG_1$	$GM_T = 3.064\text{m}$
Krengvinkel (pos. babord):	$\overset{\text{v}}{\underset{\text{v}}{\underset{\text{v}}{\Phi}}} := \text{atan}\left(\frac{Y_G}{GM_T}\right)$	$\Phi = -4.833\text{deg}$
Trim:		
BM_L :	$BM_L := \frac{I_y \cdot \rho_s}{\Delta}$	$BM_L = 13.637\text{m}$
Fri flate effekt:	$GG_1 := \frac{L_T^3 \cdot B_T \cdot \rho_v}{12 \cdot \Delta}$	$GG_1 = 0.216\text{m}$
GM_L :	$GM_L := KB + BM_L - Z_G - GG_1$	$GM_L = 12.115\text{m}$
Med vertikale sider og ender er LCB=LCF:		$X_B := X_0$
Trimvinkel (pos. forover):	$\Theta := \text{atan}\left(\frac{X_G - X_B}{GM_L}\right)$	$\Theta = -2.367\text{deg}$
Minste fribord:	$\overset{\text{v}}{\underset{\text{v}}{\underset{\text{v}}{F}}} := D - T - \frac{B}{2} \cdot \tan(\Phi) - X_0 \cdot \tan(\Theta)$	$F = 0.54\text{m}$